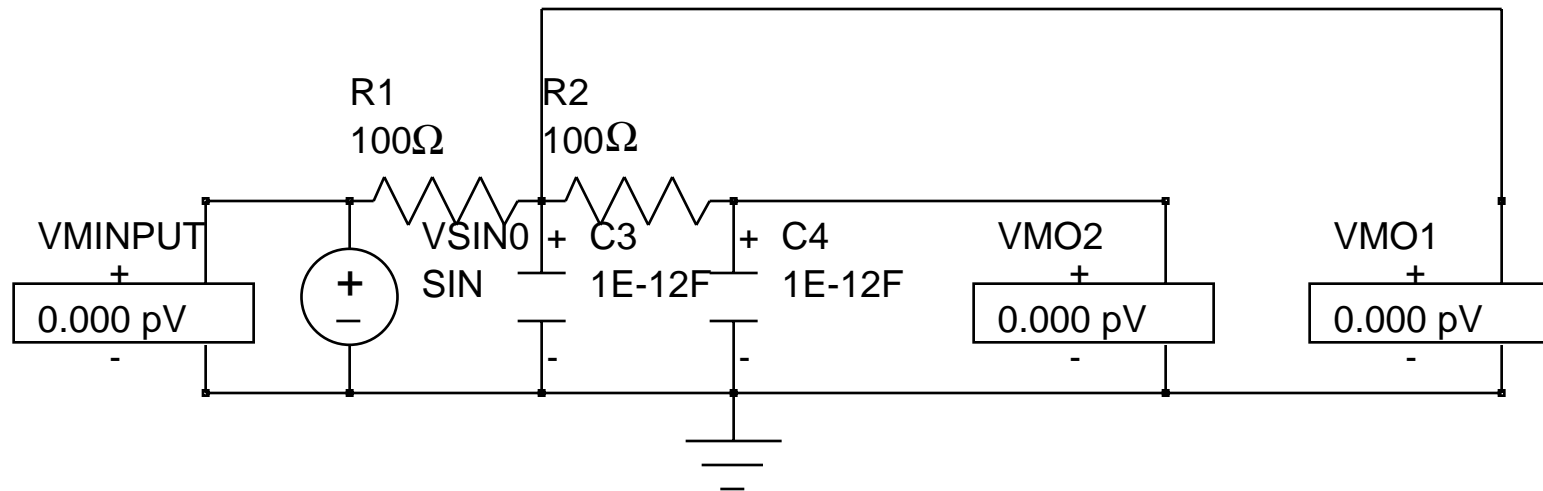


# SPICE

- Circuit simulation tools (e.g. SPICE, APLAC) can also be used to generate frequency plots
- **SPICE** (Simulation Program with Integrated Circuit Emphasis), and its many derivatives (HSPICE, Spectre, P-SPICE, IS-SPICE, B<sup>2</sup>SPICE...), is the most widely used.
- SPICE structure:
  - (Schematic Capture)
  - Input Parser
  - **Simulation Engine:**
    - **Device modeling**
    - **Numerical solution of linear and non-linear systems of network equations**
  - Output Formatting
  - (Graphical Post-processor)

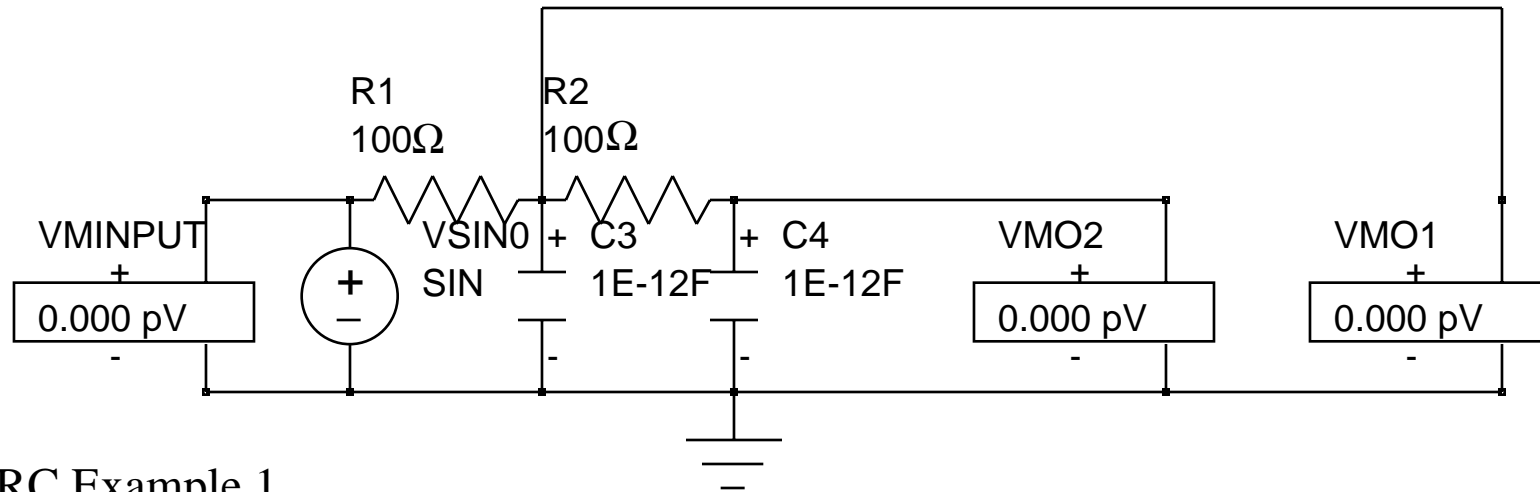
# SPICE

- Here's an example from **B<sup>2</sup>SPICE** from Beige Bag Software which also includes a **schematic capture** package



- An **ac analysis** can be used to generate frequency domain plots of magnitude and phase of the transfer function

## SPICE input file



### RC Example 1

\* B2 Spice default format (same as Berkeley Spice 3F format)

\*\*\*\*\* main circuit

R1 1 2 100

R2 2 3 100

C3 2 0 1e-12

C4 3 0 1e-12

Vin 1 0 SIN( 1 1 1meg 0 0) AC 100

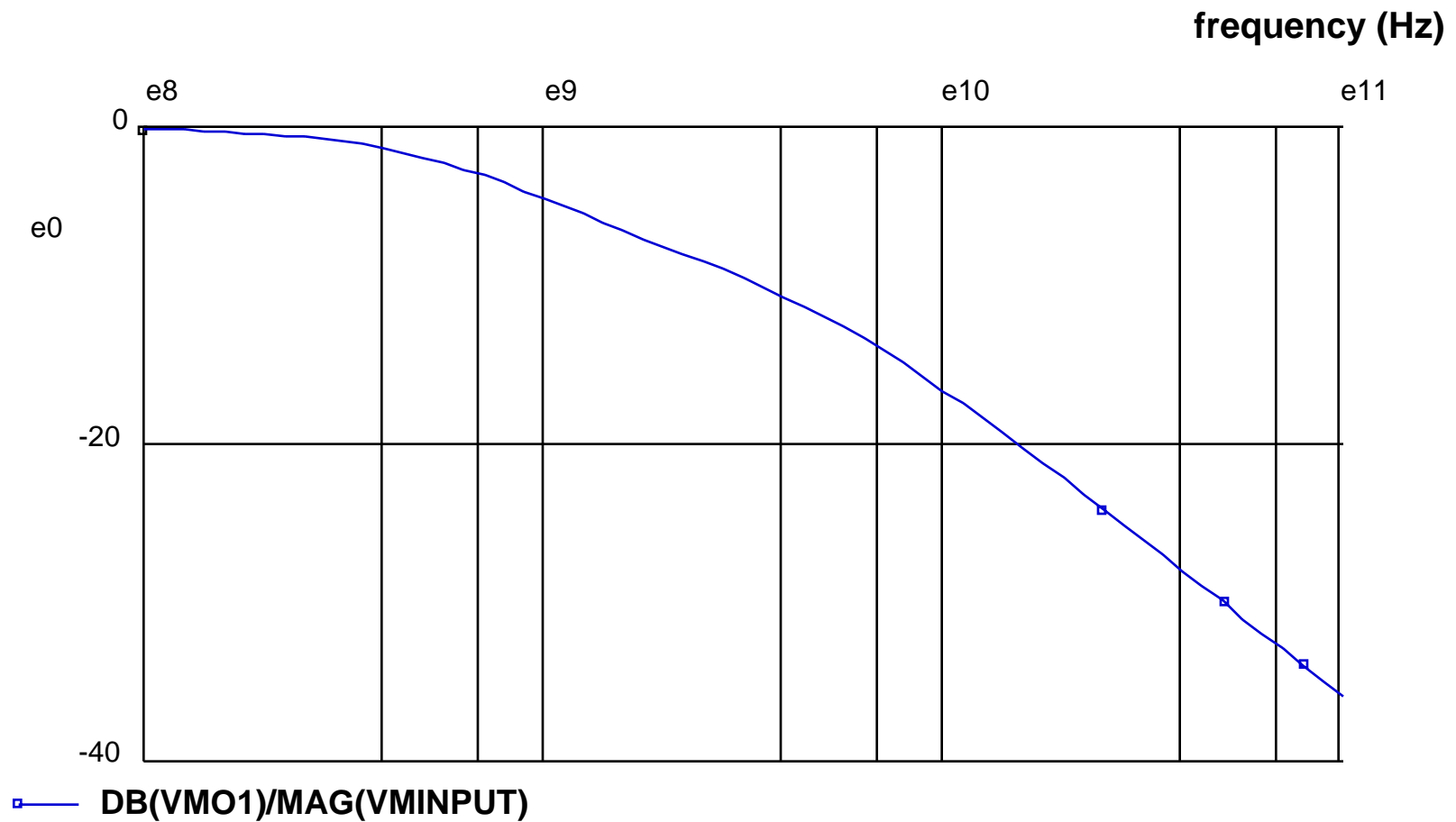
.OPTIONS

.AC dec 30 1e7 1e12

.PRINT AC LOG(V(2)) LOG(V(3))

.END

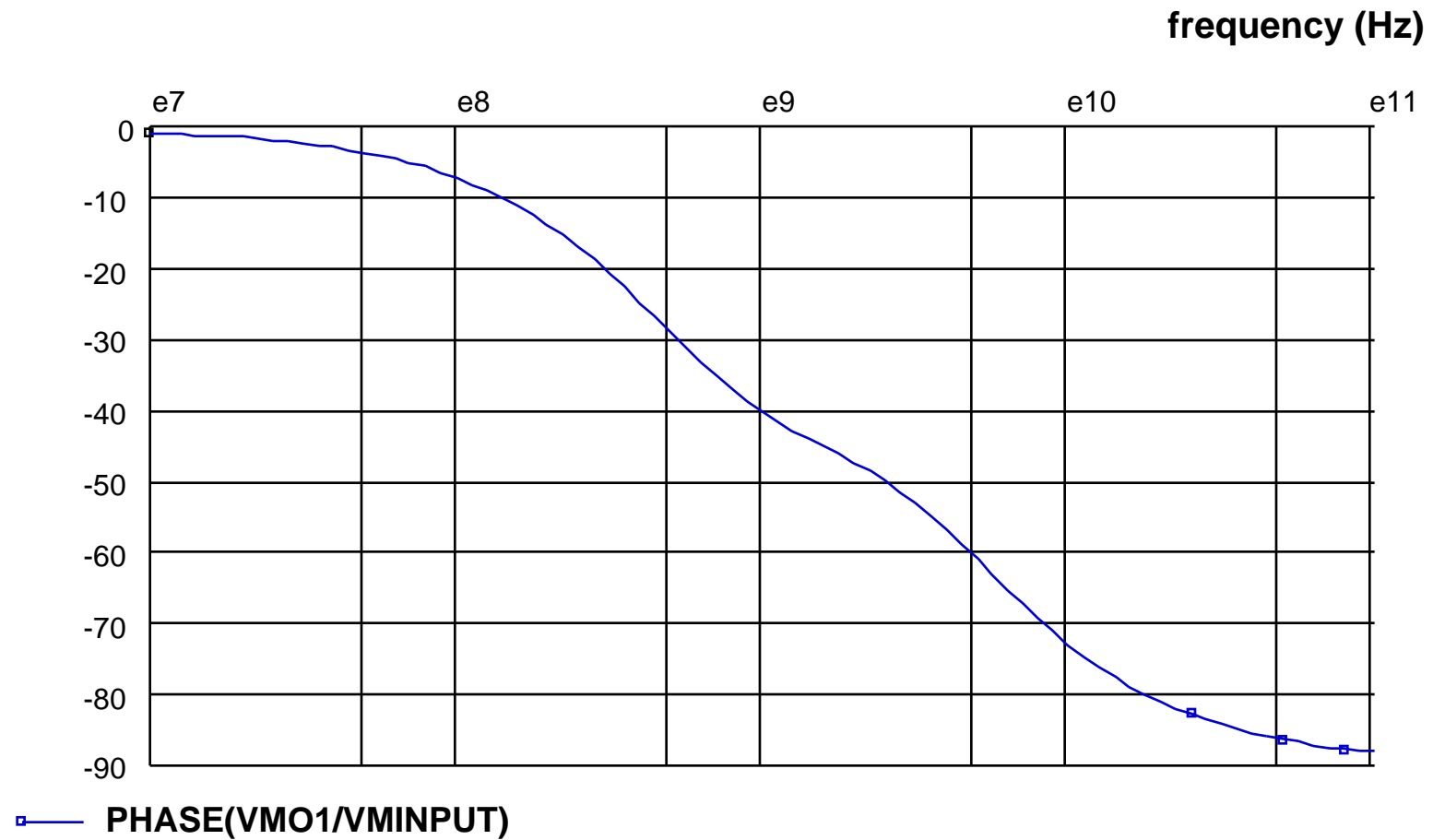
# SPICE



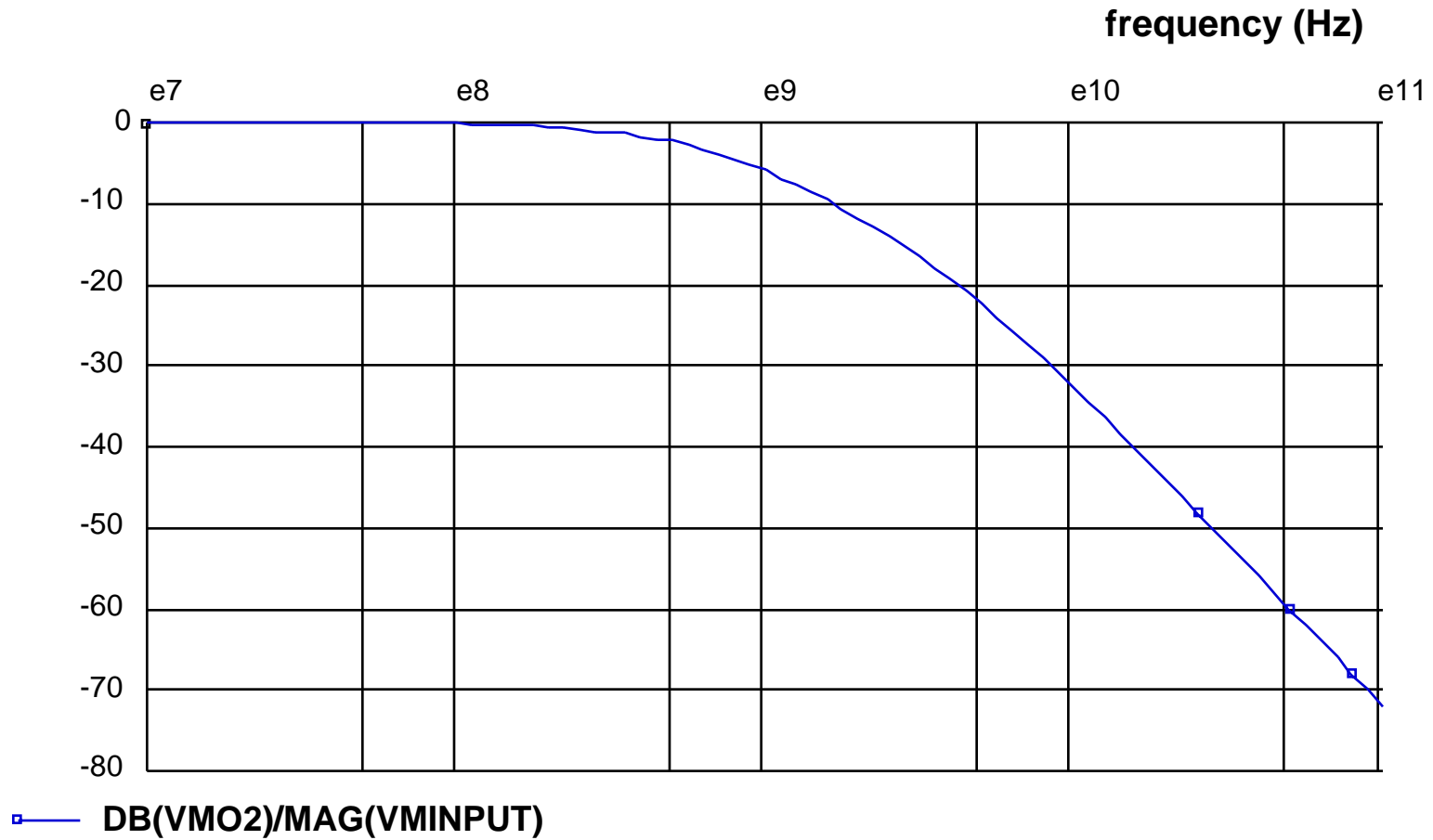
- Note that the frequency is in Hertz in SPICE, so it must be scaled by  $2\pi$  for comparison with our Bode plot

# SPICE

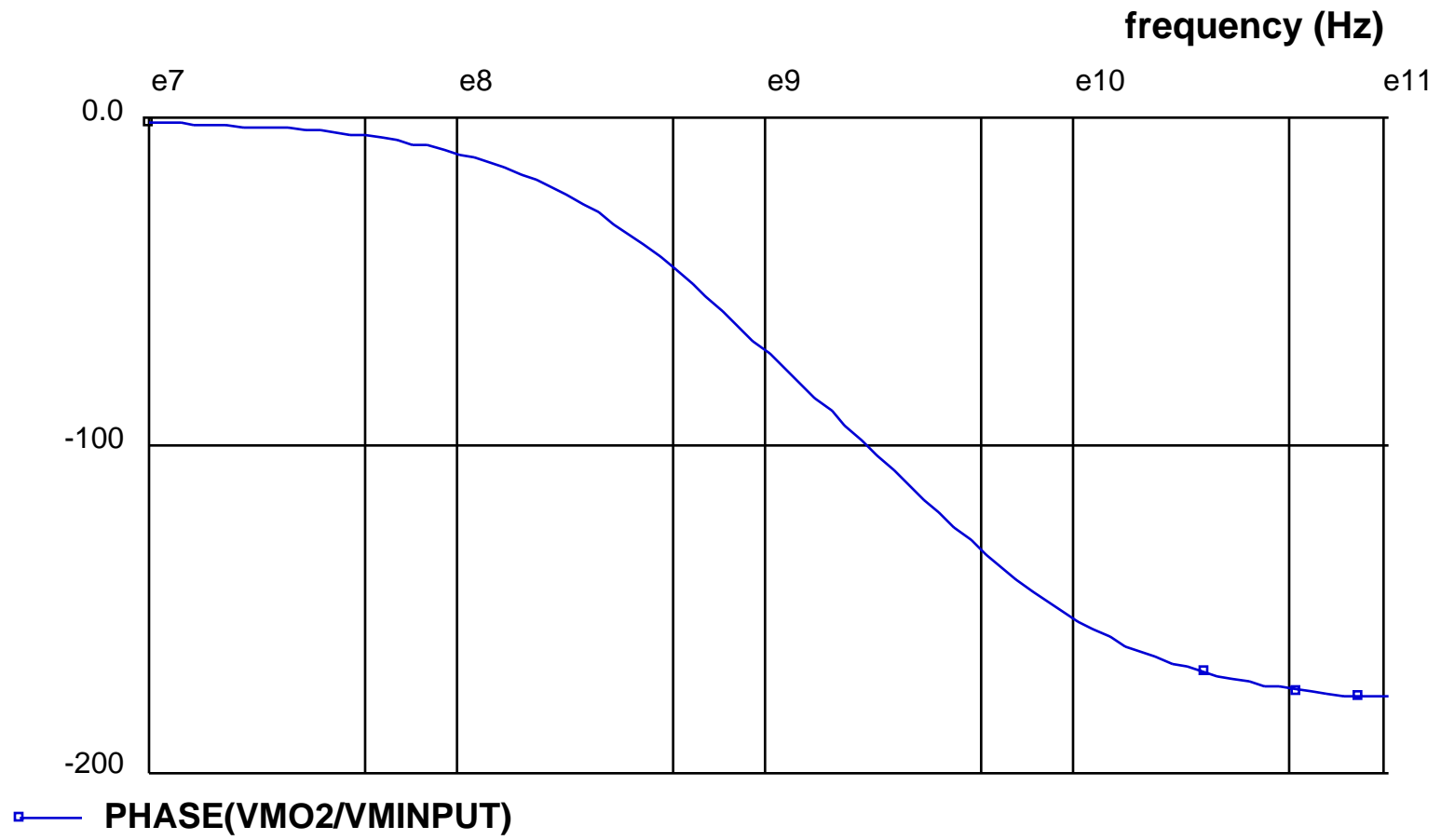
- The phase is plotted in degrees here



# SPICE



# SPICE



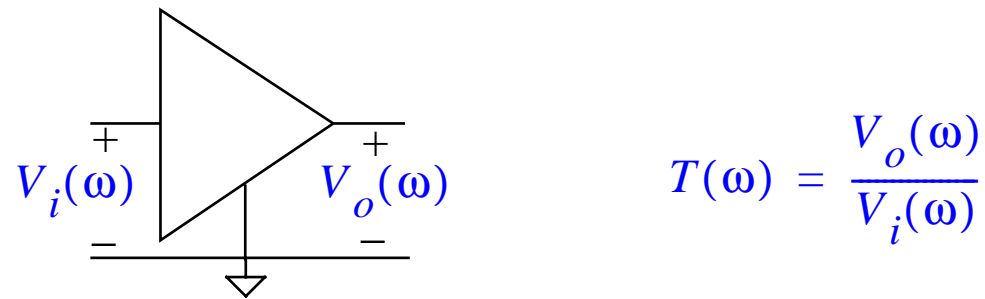
## SPICE vs. Bode Plots

- Bode plots were introduced before software tools such as SPICE were available, and to some extent, SPICE makes them unnecessary
- But Bode plot theory helps us to understand the relation between the circuit poles and zeros and the frequency response
- This is helpful during design --- modify a certain parameter because we know that it moves the pole or zero in a particular way
- For example: design an amplifier to have a certain gain over the required frequency range of operation by modifying the smallest pole (largest time constant) in the circuit

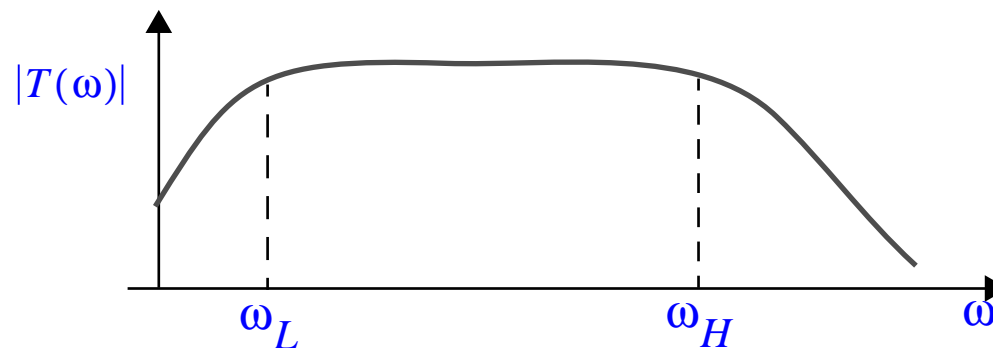


## Amplifiers: Frequency Response and Transfer Function

- A good amplifier would have a frequency response that is flat over the range of frequencies that it operates --- why?



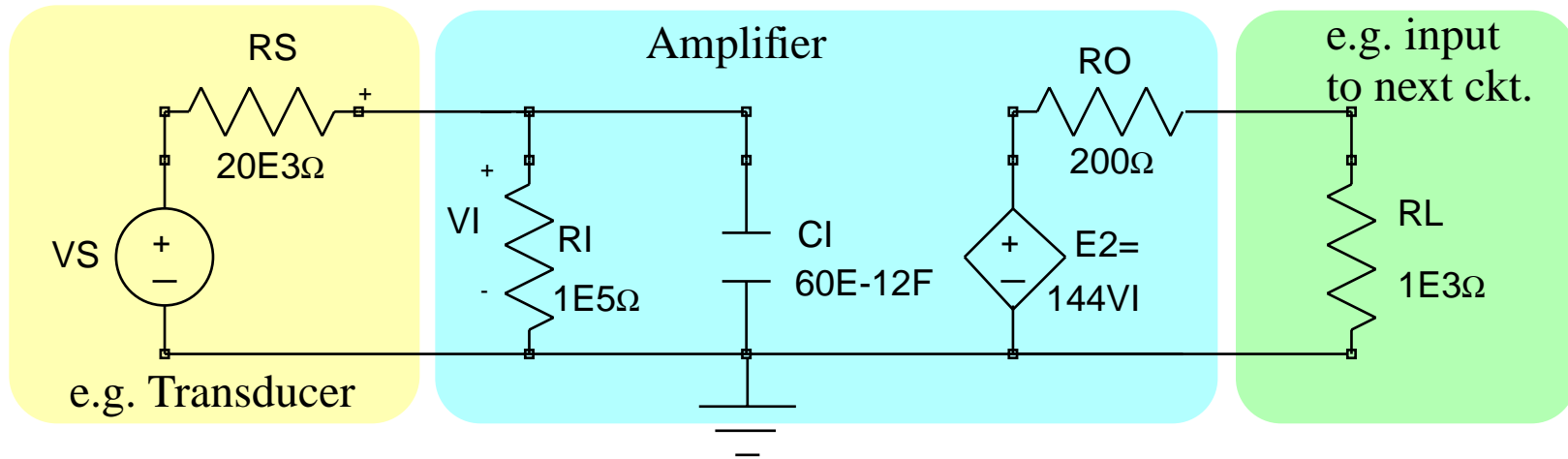
$$T(\omega) = \frac{V_o(\omega)}{V_i(\omega)}$$



- The high-frequency roll-off is due to amplifier internal capacitors (parasitics)
- The low frequency roll-off is generally due to **ac coupling**
- The **bandwidth** is defined as  $\omega_H - \omega_L$

## Amplifier Circuit Example

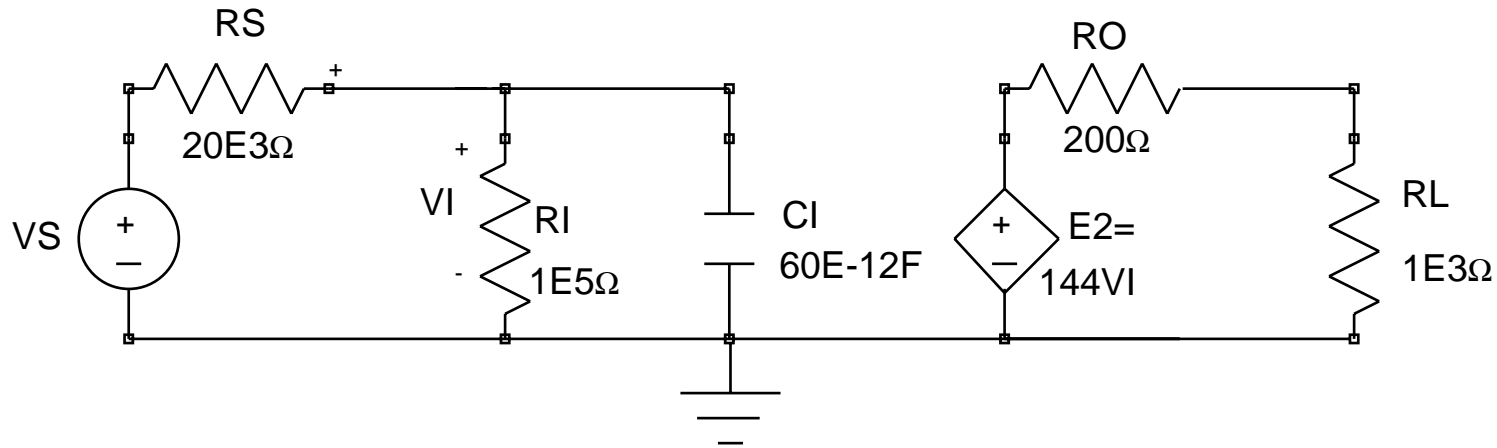
- An amplifier macromodel must include **parasitic** resistance and capacitance to see this frequency domain behavior



- What are the values of  $\omega_H$  and  $\omega_L$  for this single-time-constant (STC) circuit?
- What do these values indicate for this design?

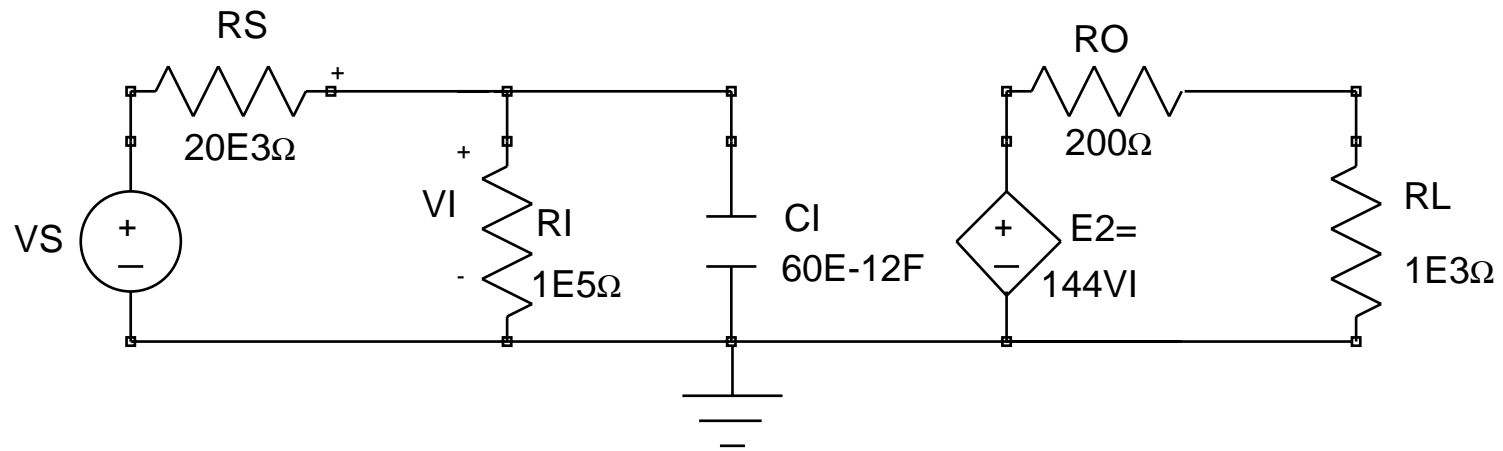
## Amplifier Circuit Example

- This is obviously a low-pass filter
- The 3dB point,  $\omega_H$  occurs at the pole value

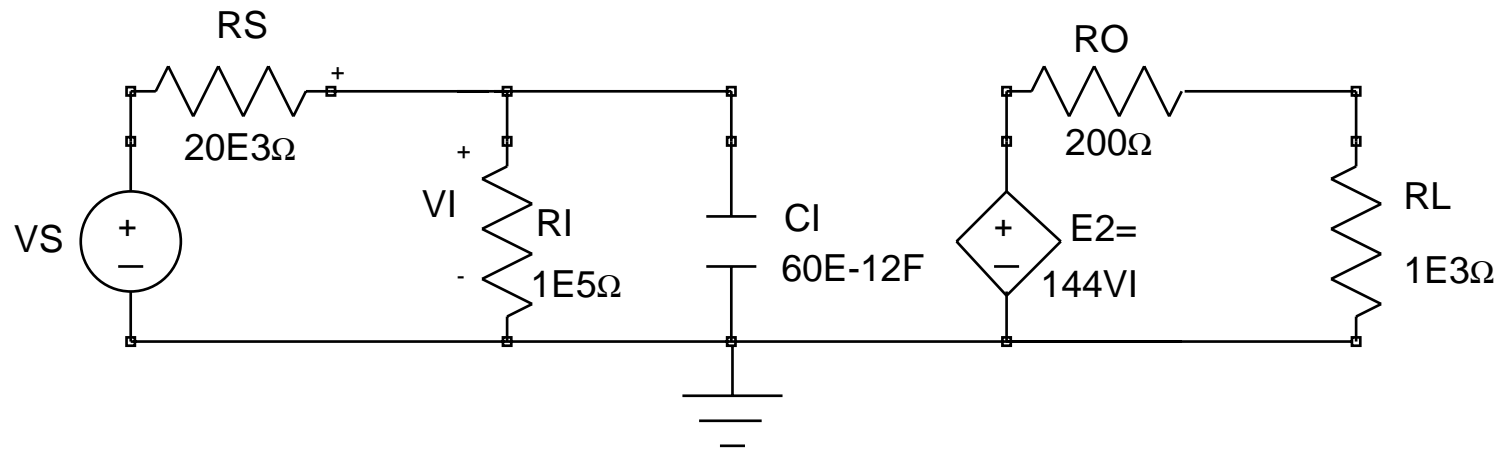


- What does the transfer function look like, and how do we solve for it?

## Amplifier Circuit Example

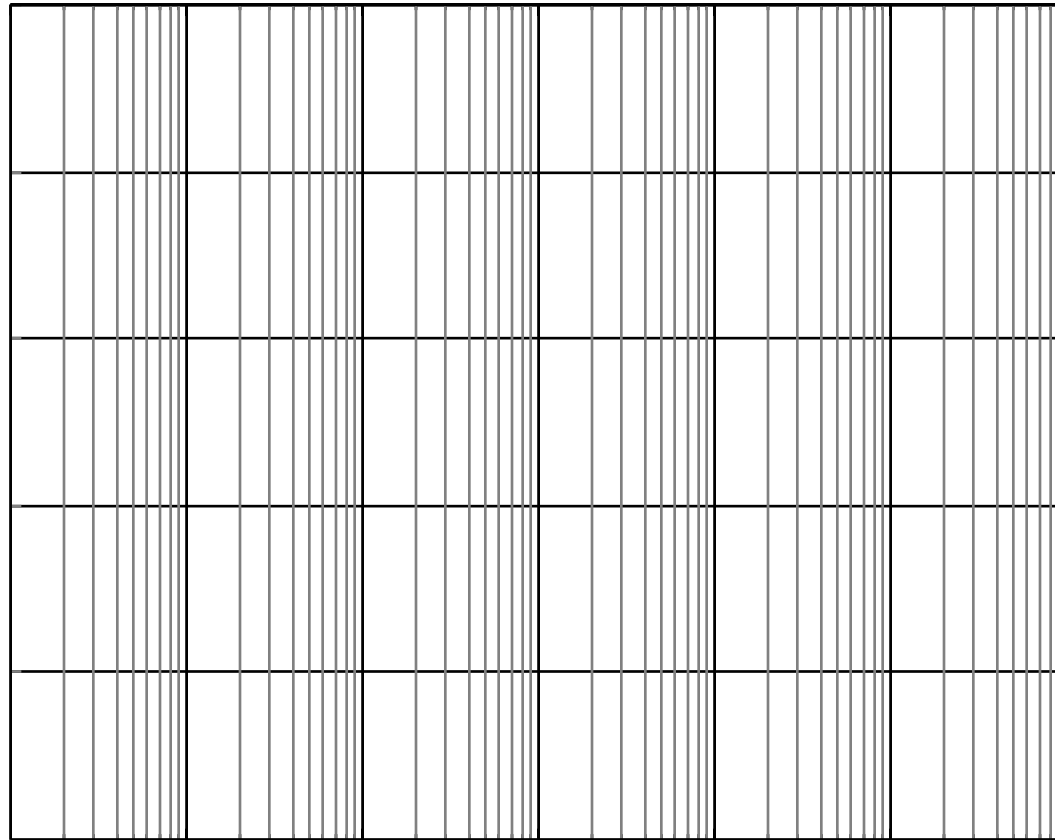


## Amplifier Circuit Example



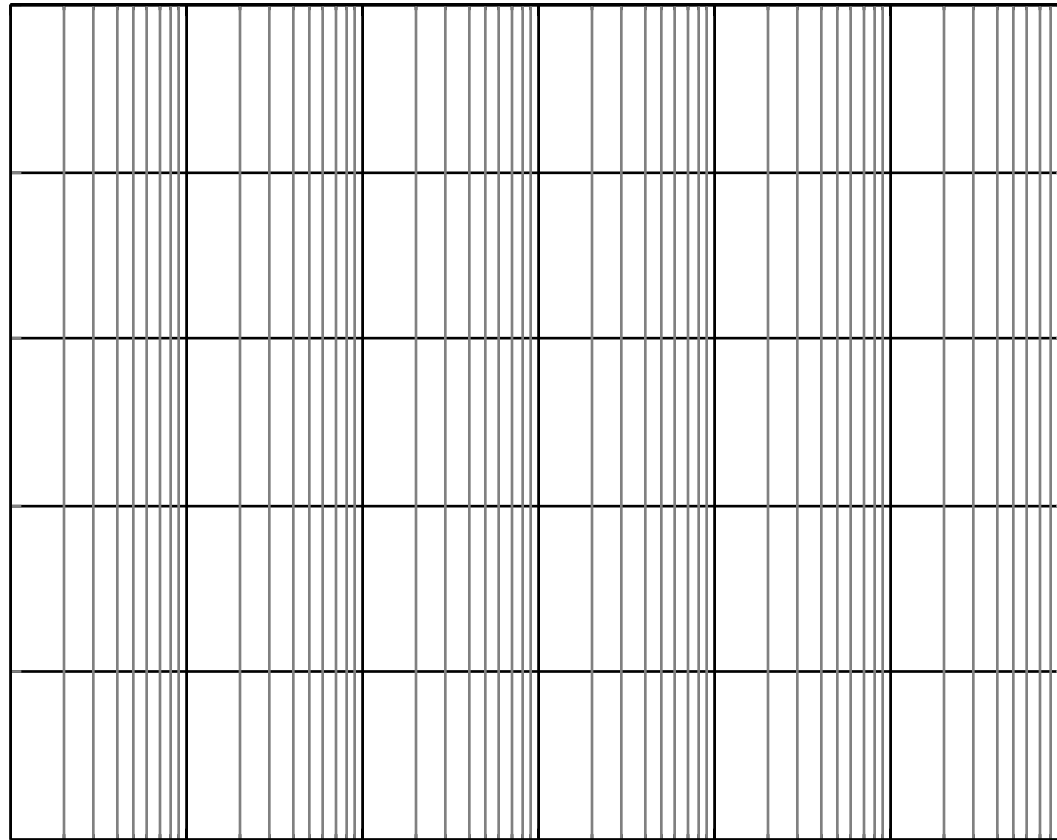
## Amplifier Circuit Example

- What happens when the gain crosses below the unity gain (0dB) frequency point?



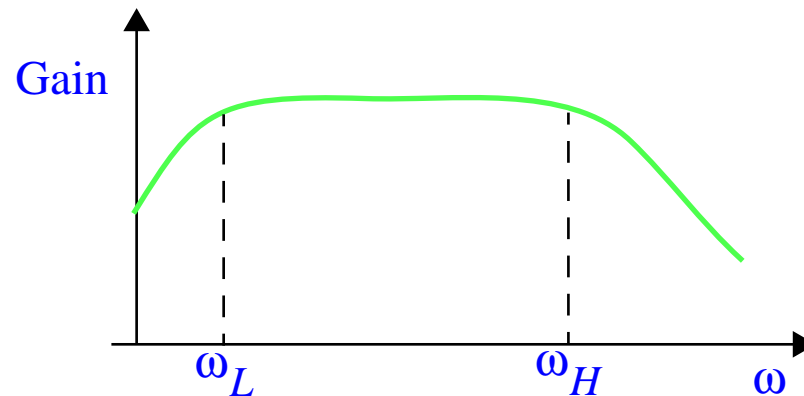
# Amplifier Circuit Example

- Phase plot

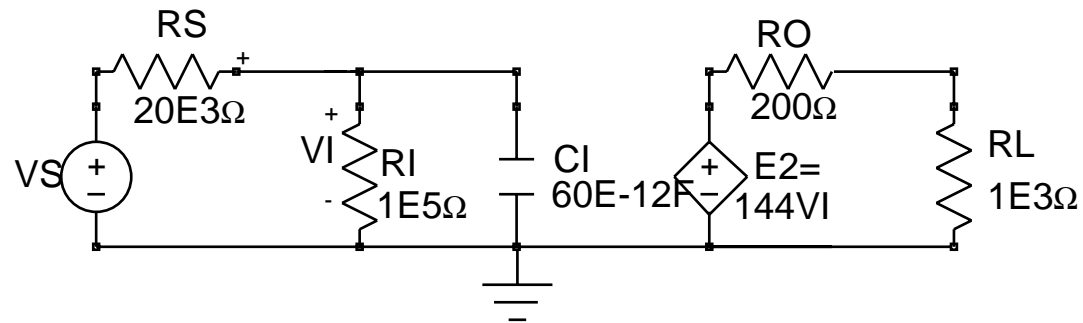


## Low Frequency 3 dB Point

- The low frequency 3dB point for an amplifier, if it exists, is due to **ac coupling**



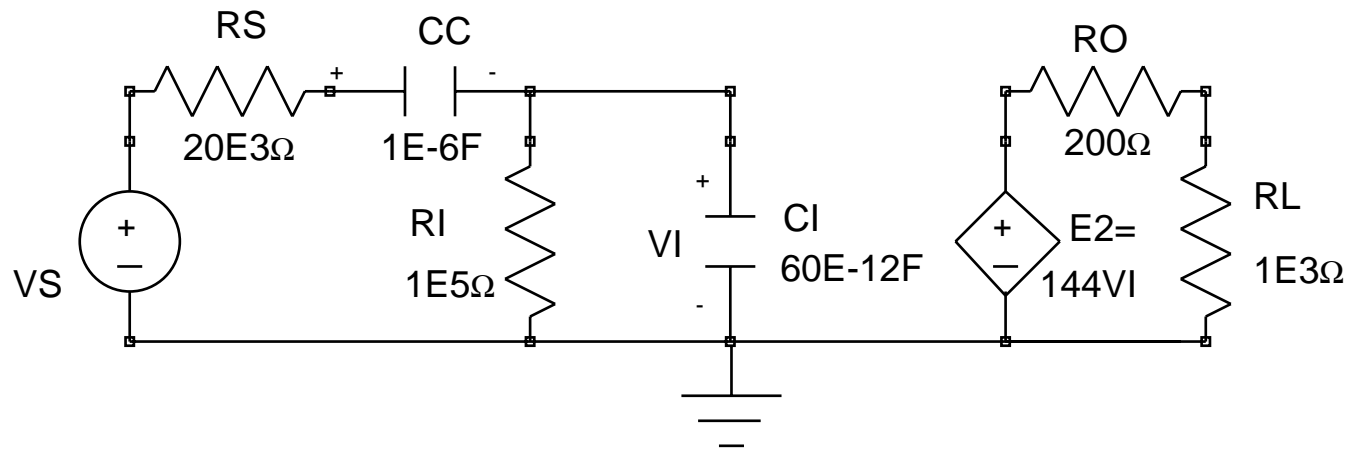
- ac coupling is generally used to block dc bias signals from entering, and saturating, the amplifier
- Example: If VS has a dc component that is much larger than the ac components, it may cause the amplifier output to saturate to the supply voltage





## Amplifier Circuit: SPICE Schematic

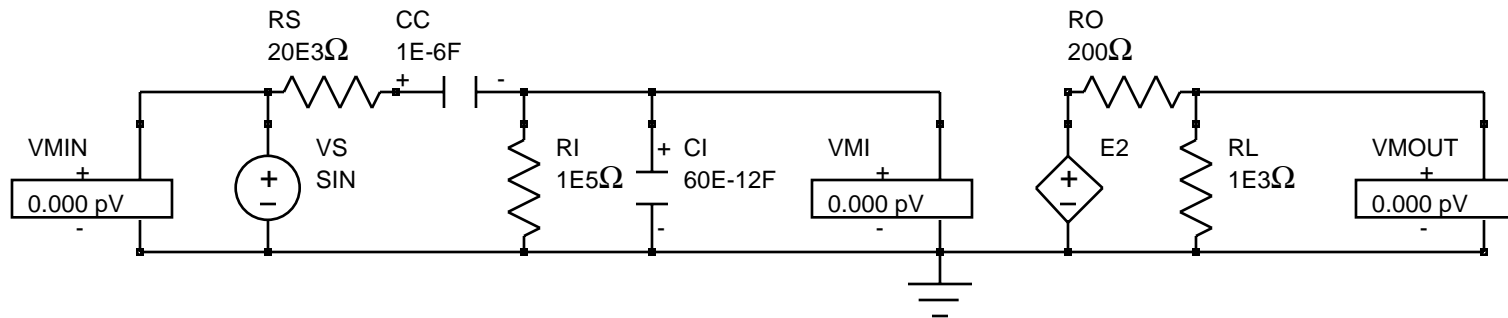
- So we can add a series capacitor to block the dc, but we want to make this CC as large as possible so that it does not affect the bandwidth of interest



- This capacitor adds a zero (at zero frequency) to the transfer function which we can observe from a SPICE simulation, or calculate and Bode plot

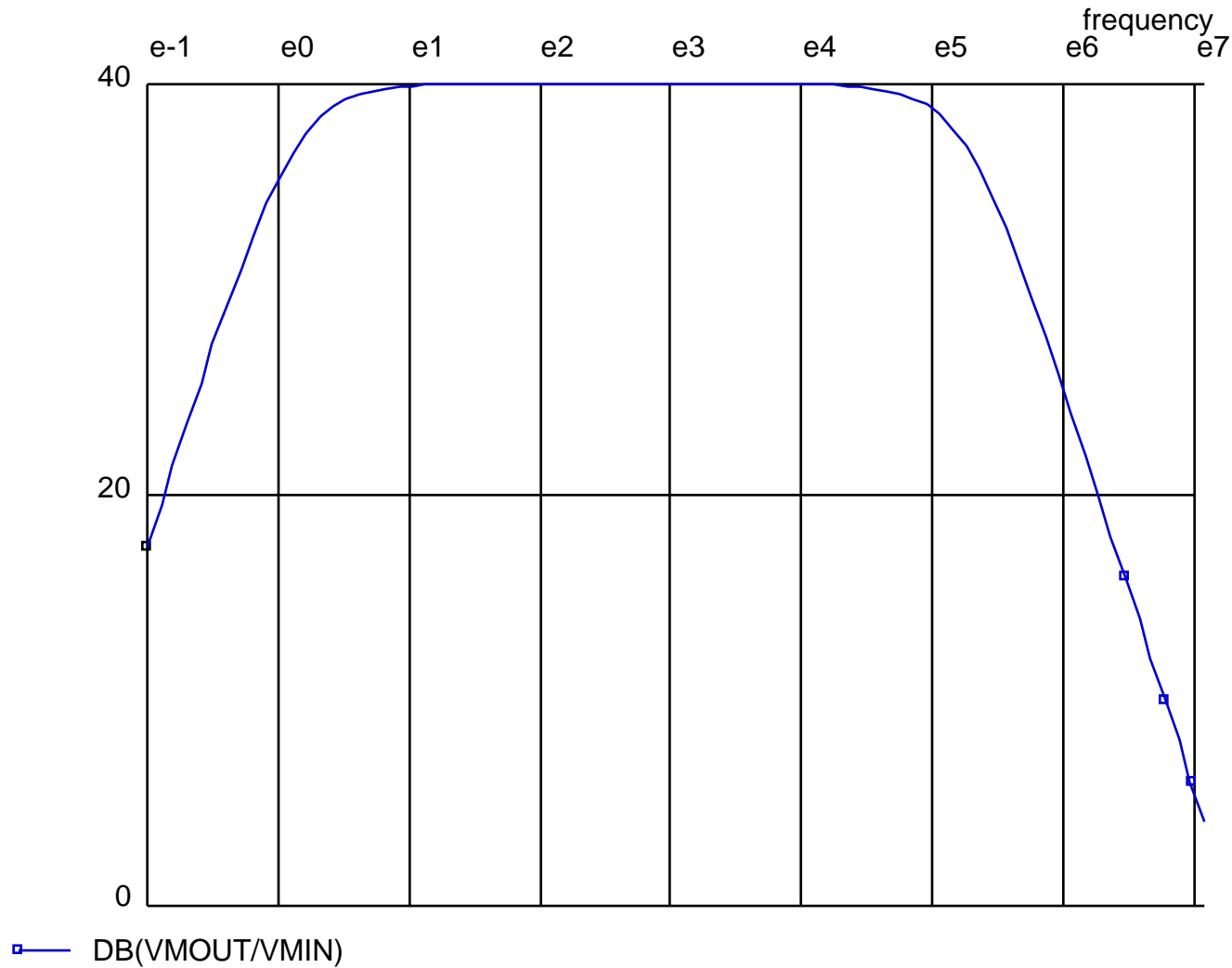
# Amplifier Circuit: SPICE Schematic

- The input circuit to B<sup>2</sup>SPICE is:

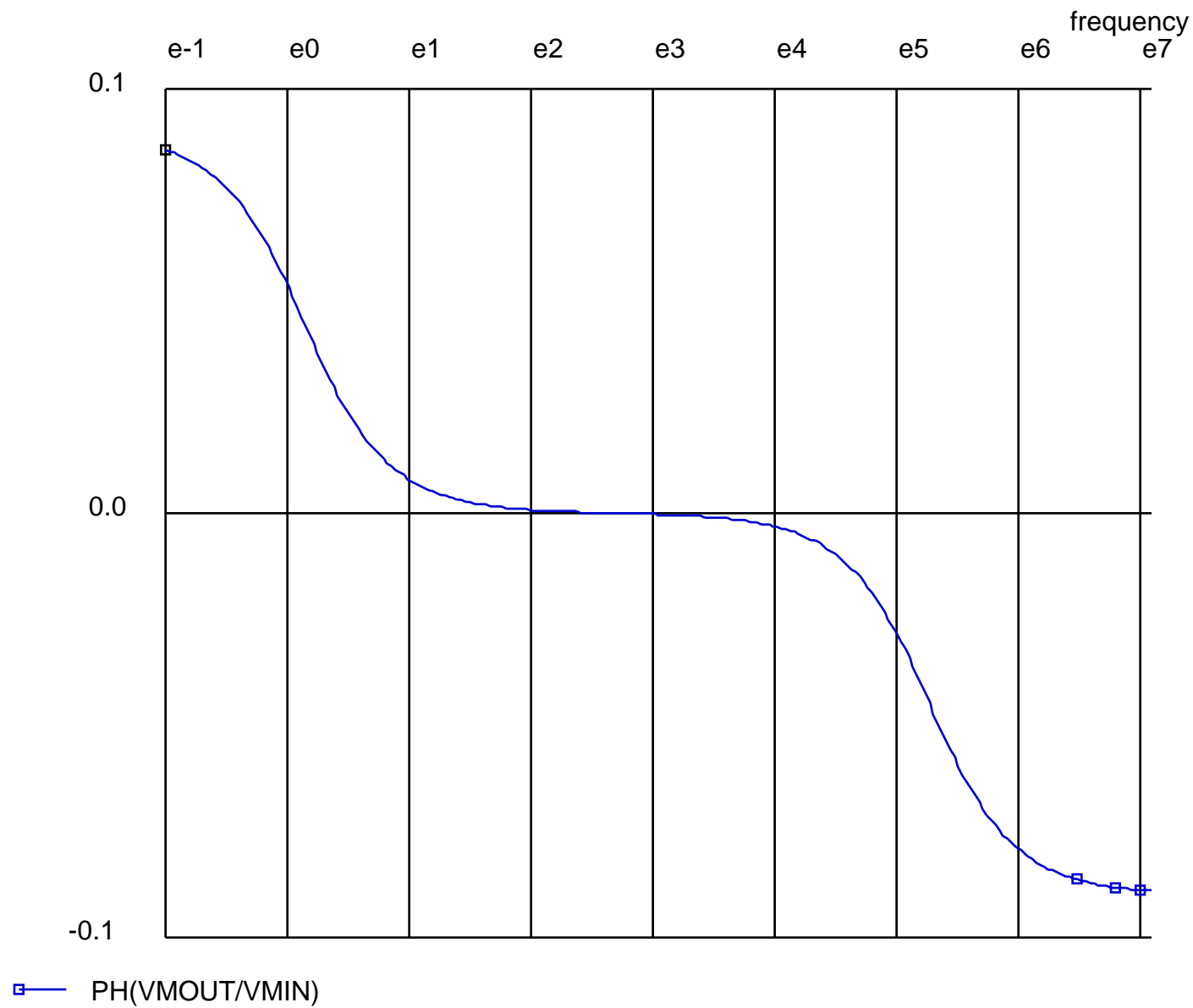


# Amplifier Magnitude with Cc

- $f_H = 1.58e5 \text{ Hz}$ , which corresponds to  $0.99e6 \text{ radians/sec}$
- $f_L = 1.35 \text{ Hz}$ , which corresponds to  $8.48 \text{ radians/sec}$



# Amplifier Phase with Cc



## Points to remember

- Circuit simulation tools are only as good as the modeling / computational methods they use.
- Always try to understand qualitatively what you expect from simulation. Basing on “common sense”, be critical to simulation results.