Detecting Adversarial Samples from Artifacts

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Overview

- Revisiting deep neural networks
- Adversarial attacks: attacks, properties, and defenses
- Artifacts of adversarial samples
  - Deep manifold representation
  - Introduction to Gaussian processes
  - Bayesian uncertainty estimates
- Making a detector
- Breaking the detector

Why deep learning?

Good at human tasks

Why deep learning?

MNIST dataset for digit classification

CIFAR-10 dataset for object recognition

Deep neural networks achieve state-of-the-art performance (> 99% accuracy)

Why deep learning?

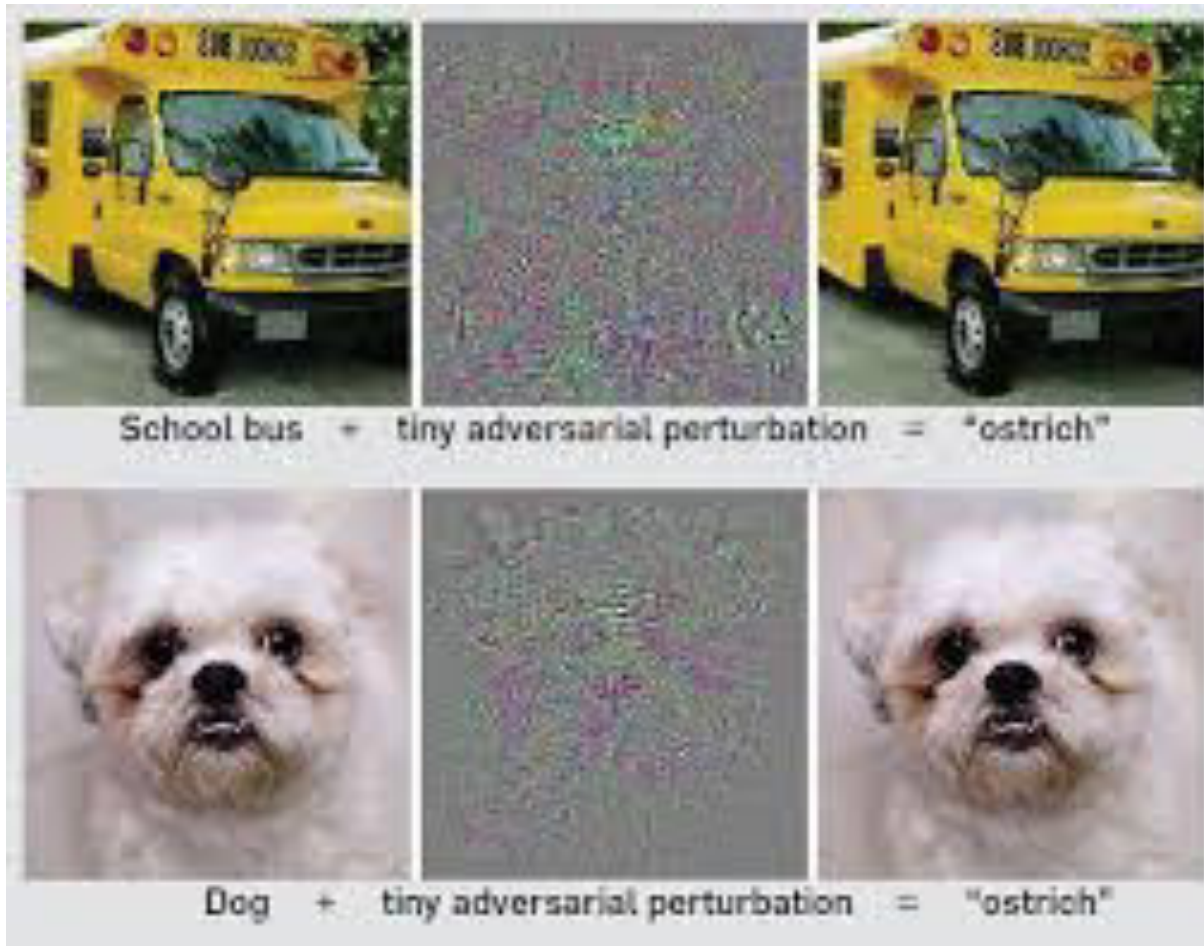No need for extensive feature selection

Why deep learning?

Versatile and general architecture that can used for different tasks

Issues with deep learning

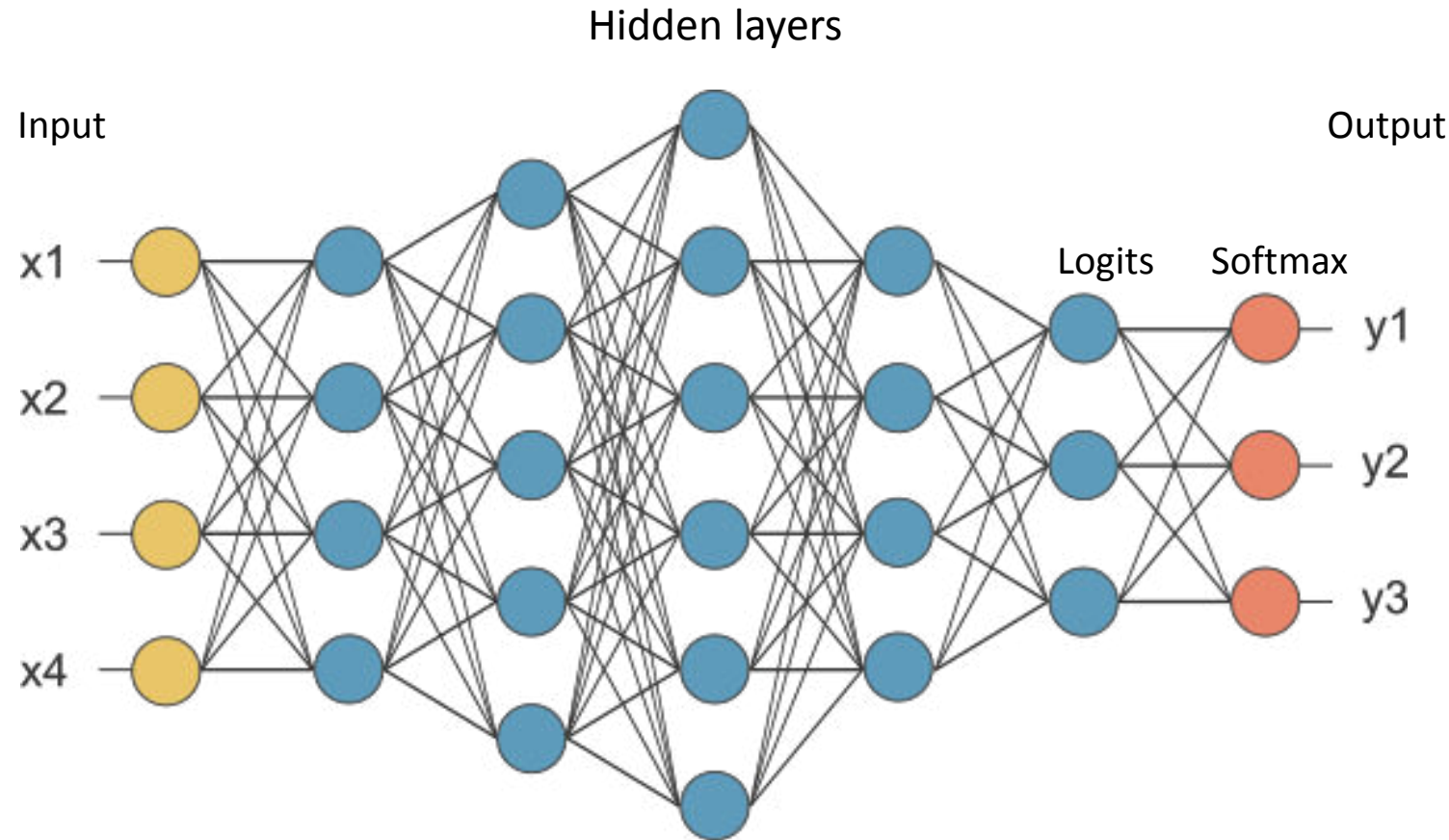

Understanding of why deep learning works is limited

Adversarial attacks against DNNs

School bus + tiny adversarial perturbation = "ostrich"

Dog + tiny adversarial perturbation = "ostrich"

Basic concepts of deep learning

- Architecture

- Neuron and activation functions

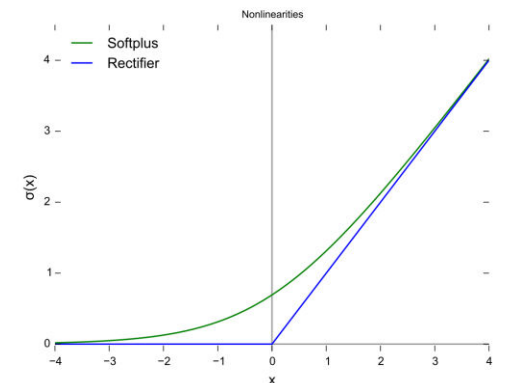- Logits, softmax, and confidence

- Network loss

- Overfitting

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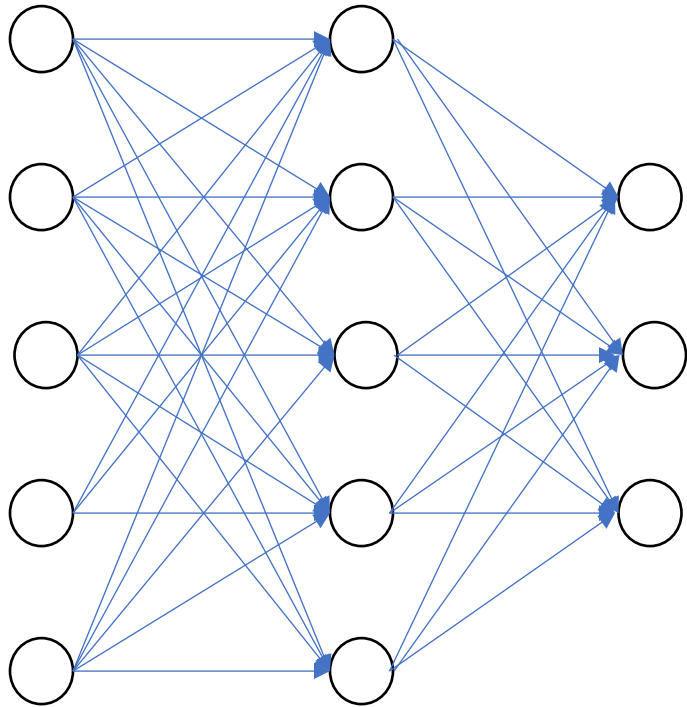- Logits, softmax, and confidence

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Sigmoid

ReLu

Basic concepts of deep learning

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$$f(z_i) = \frac{e^{z_i}}{e^{z_j}}_{j}$$

- Softmax: converts outputs into probabilities
- Logits: Inputs to softmax
- Confidence: Probability of the predicted class

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$$L(\ ,x,y) = \ \log P_{correct}$$

"Loss": the distance between ground-truth and model prediction

"Categorical cross-entropy": KL divergence between model output and one-hot encoded ground truth

"Risk": Total loss on the entire dataset

Goal of model training is to minimize model risk

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Actual decision boundary

Over-fitted boundary

Causes difference in performance between training and test data

Dropout: Preventing overfitting

Batch 1
Batch 2

Remove nodes probabilistically for each training batch with probability p

Only done during training time. Scale weights down p after training is done

Why(and how) does dropout work?

Adversarial attacks against DNNs

Regular
(99%)

Noisy
(98%)

Adversarial
(0.01%)

Transferrable , targeted, and numerous

Adversarial attacks: FGSM[Goodfellow et al.]

$$x_{adv} = x + .sign(\nabla_x L(, x, y))$$

x
"panda"
57.7% confidence

$+.007 \times$

$\text{sign}(\nabla_x J(\boldsymbol{\theta}, \boldsymbol{x}, y))$
"nematode"
8.2% confidence

$=$

$\boldsymbol{x} + \epsilon\text{sign}(\nabla_x J(\boldsymbol{\theta}, \boldsymbol{x}, y))$
"gibbon"
99.3 % confidence

Adversarial attacks: BIM[Kurakin et al.]

$$x_{adv}^{i} = x_{adv}^{i\,1} + \frac{1}{N} sign(\nabla_x L(\quad, x, y))$$

Adversarial attacks: JSMA[Papernot et al.]

A targeted attack to find perturbations that force mis-classification into pre-selected class

$$S(x,t)[i] = \begin{cases} 0 \text{ if } \nabla_{x[i]}L(x,t) < 0 \text{ or } \sum_{j \neq t} \nabla_{x[i]}L(x,j) > 0 \\ \dfrac{\nabla_{x[i]}L(x,t)}{\sum_{j \neq t} \nabla_{x[i]}L(x,j)} \text{ otherwise} \end{cases}$$

Adversarial attacks: C&W [Carlini and Wagner]

$$\min D(x', x)$$

$$s.t. \ Z(x') = t$$

The constraint is highly non-linear and cannot be optimized

$$\min_{x'} \| x' \ x \|_2^2 + c. \ f(x')$$

$$f(x') = \max \{ Z(x')_{i \ t} \} \ Z(x')_t$$

C&W is considered to be the most powerful attack

Visualizing adversarial perturbations

Visualizing adversarial perturbations

Loss surface in an
$\mathcal{E}$-neighborhood around x

- Adversarial regions are small

- Inhabit contiguous pockets

- But numerous directions

Defenses: Defensive distillation

Hidden layers

Logits   Softmax

Input

Soft
probability
labels

Network 1 trained using hard labels

Smaller network 2 trained using soft labels

Broken by Carlini and Wagner attacks

Defenses: Adversarial training

- Create adversarial examples and use it to train the model

Adversarial training
causes gradient masking

Loss surface in an
$\mathcal{E}$-neighborhood around x

Artifacts of adversarial samples:
Deep manifold representation

Hidden layer representation

Properties of hidden layer representation

- Lower-dimensional manifold

- Approximates the true manifold

- Can be traversed to change the "true" label [Gardner et al.]

Artifacts of adversarial samples:
Deep manifold representation

Claim: Adversarial samples lie "off" the data manifold

(a) Two simple 2D submanifolds.   (b) One submanifold has a 'pocket'.   (c) Nearby 2D submanifolds.

Near the classification boundary   Far from classification boundary   Near the classification boundary
Far from sub-manifold   Near (but not on) the sub-manifold Near (but not on) the sub-manifold

Estimating density of the deep manifold representation

$$d(x) = \frac{1}{|X_t|} \sum_{x' \in X_t} K(\ (x),\ (x'))$$

$$K(a,b) = e^{(a\ b)^2 / 2}$$

Adversarial point leaving the source class and moving towards the target class

Gaussian Processes

Consider an appropriate model, e.g linear

Draw weights from a prior Gaussian distribution

Consider only those functions that satisfy training constraints

(a), prior

(b), posterior

Dropout as a Gaussian process

Dropout is an approximate Gaussian process

Explains why it prevents over-fitting

Variance of predictions is high when the model is extrapolating

Artifacts of adversarial samples: Bayesian Uncertainty

- Run dropout during test time with *T=50* iterations

- Predicted value == mean prediction

- Bayesian uncertainty == variance of predictions

Artifacts of adversarial samples

Sample Type	MNIST				CIFAR-10			
	$\frac{u(x^*)}{u(x)} > 1$	$\frac{d(x^*)}{d(x)} < 1$	$\frac{u(x^*)}{u(x^n)} > 1$	$\frac{d(x^*)}{d(x^n)} < 1$	$\frac{u(x^*)}{u(x)} > 1$	$\frac{d(x^*)}{d(x)} < 1$	$\frac{u(x^*)}{u(x^n)} > 1$	$\frac{d(x^*)}{d(x^n)} < 1$
FGSM	92.2%	95.6%	79.5%	90.0%	74.7%	70.1%	68.2%	69.6%
BIM-A	99.2%	98.0%	99.5%	98.7%	83.4%	76.4%	83.3%	76.8%
BIM-B	60.7%	90.5%	35.6%	86.7%	4.0%	98.8%	3.6%	99.1%
JSMA	98.7%	98.5%	97.5%	96.5%	93.5%	91.5%	87.4%	89.6%
C&W	98.5%	98.4%	96.6%	97.5%	92.9%	92.4%	88.23%	90.4%

Building a detector

- Compute uncertainty and density estimates
- Build a two-feature logistic regression model

Legend:
- FGSM (AUC = 90.57%)
- BIM-A (AUC = 97.23%)
- BIM-B (AUC = 82.06%)
- JSMA (AUC = 98.13%)
- C&W (AUC = 97.94%)

Breaking uncertainty

Uncertainty vs. # of FGSM iterations

Breaking density of deep manifold representations [Sabour et al.]

$$\min \| \;(I) \qquad (I_g)\|_2$$

such that $\| I \quad I_s \| <$

(a) $d(\alpha,g)/d(s,g)$ (b) $d(\alpha,g)/\overline{d_1}(g)$ (c) $d(\alpha,s)/\overline{d}(s)$

Comparing defenses

Hendrycks §4.1

Bhagoji §4.2

Li §4.3

Grosse §5.1

Feinman §5.2

Feinman §6.1

Li §6.2

Future work

- Currently, no perfect defenses

- Robust optimization has been proposed as a provable defense

- We are currently working on an approach based on influence functions