18-344 Recitation 8

11/07/2025

Outline

- 1. Logistics
- 2. Homeworks
- 3. Review
- 4. Lab 3

Logistics

- Homework 7 released, deadline extended: November 10 (Monday) (in 3 days)
 - Covers lectures 15-16
- Homework 8 released, due on November 17 (Monday) (in 10 days)
 - Covers lecture 17
- Lab 3 deadlines extended as well
 - Code freeze: October 21 (Friday) (in two weeks)
 - Submit (push a commit to your repo) on GitHub Classroom
 - Report: November 24 (Monday) (in two weeks + three days)
 - Submit on Gradescope
- Lab 4 will still be released on November 17
 - Code freeze: December 11
 - Submit (push a commit to your repo) on GitHub Classroom
 - Report: December 14
 - Submit on Gradescope

Homework 7 – in case you missed it

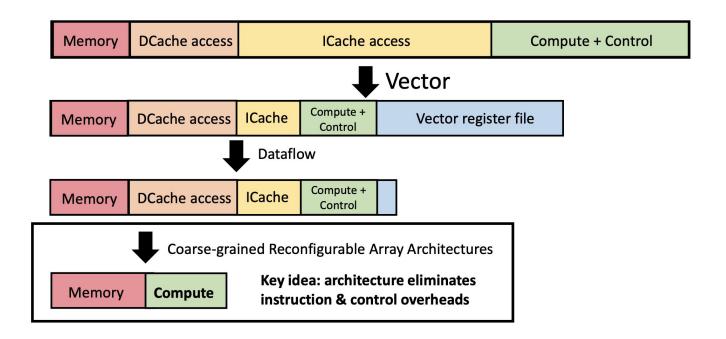
How to calculate the average *ILP* given a sequence of instructions?

For this assignment, we define: $ILP=rac{T_1}{T_{\infty}}$

where T_n is the number of cycles to execute the sequence of instructions with n execution units.

Review

Scalar/Vector/(Spatial) Dataflow architectures



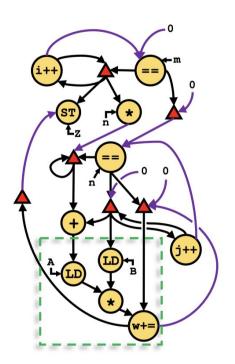
¹ Brandon Lucia. 2024. Energy-minimal Computing: Edge architectures for extreme efficiency. CMU 18-344.

Spatial dataflow for programmable acceleration

Dense matrix-vector multiplication:

Pseudocode and dataflow-graph (DFG)¹

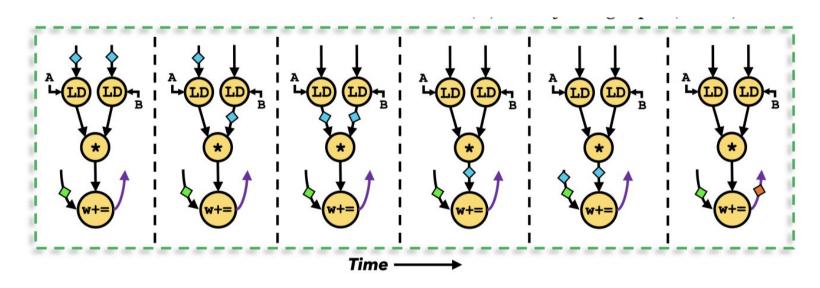
```
def dmv (A, B, Z, m, n):
    for i = 0..m:
    w = 0
    for j = 0..n:
    w += A[i,j] * B[j]
    Z[i] = w
```



¹ Nikhil Agarwal et al. 2024. The TYR Dataflow Architecture: Improving Locality by Taming Parallelism. MICRO 2024.

Dataflow in action

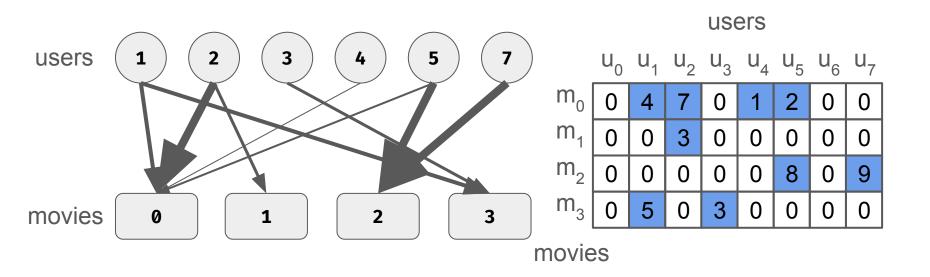
Dense matrix-vector multiplication's inner loop: a running example¹



¹ Nikhil Agarwal et al. 2024. The TYR Dataflow Architecture: Improving Locality by Taming Parallelism. MICRO 2024.

Sparse problems

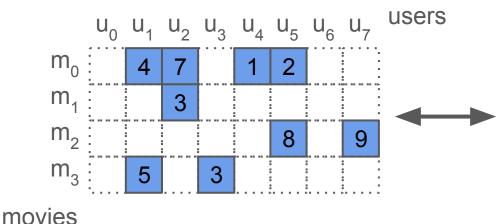
Machine learning, networking, and many more problems all involve *sparse data*.



Compressed Sparse Columns/Rows – CSC/CSR

Matrices/tensors in sparse problems have *high memory footprint* yet *low density*. => Convert and store data in more space-efficient formats (e.g. **CSC** and **CSR**).

How to convert a matrix/edge list to CSR?



Edge list (may *not* always be sorted) (also called COO, coordinate list):

EL to **CSR**: 1/ Sort **EL** by <u>rows (user)</u>

user	\rightarrow	movie	•	weight
2	$\overset{\rightarrow}{\rightarrow}$	0 1	:	7 3
1 1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5
3	\rightarrow	3	:	3
4	\rightarrow	0	:	1
7	\rightarrow	2	:	9
5 5	$\begin{array}{c} \rightarrow \\ \rightarrow \end{array}$	0 2	:	2 8

EL to **CSR**: 1/ Sort **EL** by <u>rows (user)</u>

user	\rightarrow	movie	•	weight
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	:	7
1 1	$\overset{\rightarrow}{\rightarrow}$	0 3	: :	4 5
3	\rightarrow	3	:	3
4	\rightarrow	0	:	1
7	\rightarrow	2	:	9
<mark>5</mark> 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8

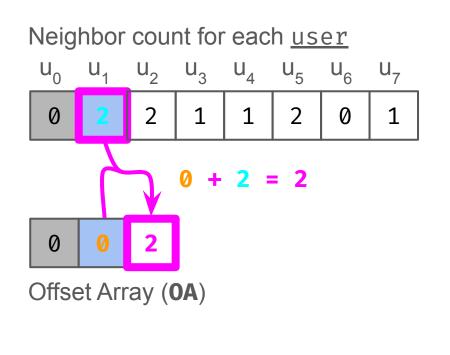
EL to **CSR**: 1/4 Sort **EL** by <u>rows (user)</u>

user	\rightarrow	movie	•	weight	
1 1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5	
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	•	7 3	
3	\rightarrow	3	:	3	
4	\rightarrow	0	:	1	
5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	•	2 8	
7	\rightarrow	2	:	9	

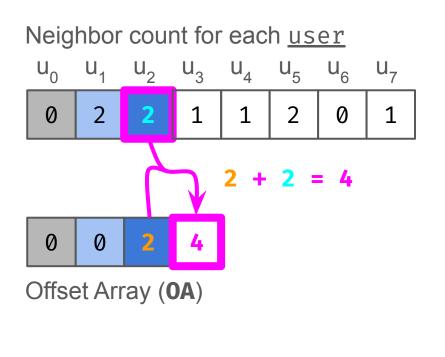
user	\rightarrow	movie	•	weight								
1	\rightarrow	0	:	4	Neig	hbor	cou	nt foi	eac	h <u>us</u>	er	
1	\rightarrow	3	:	5	u_0	U ₁	U_2	U_3	U_4	u ₅	U ₆	U ₇
2	\rightarrow	0	:	7	0	2	2	1	1	2	0	1
2	\rightarrow	1	•	3								
3	\rightarrow	3	:	3			Start	fron	n Ø			
4	\rightarrow	0	:	1	0	\leftarrow						
5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8	Offse	et Arı	ray (0A)				
7	\rightarrow	2	:	9								

user	\rightarrow	movie	•	weight	
1	\rightarrow	0	:	4	Neighbor count for each <u>user</u>
1	\rightarrow	3	:	5	u_0 u_1 u_2 u_3 u_4 u_5 u_6 u_7
2	\rightarrow	0	:	7	0 2 2 1 1 2 0 1
2	\rightarrow	1	•	3	
3	\rightarrow	3	:	3	No edge starting from u_0 , $0 + 0 = 0$
4	\rightarrow	0	:	1	0 0
5 5	\rightarrow \rightarrow	0 2	•	2 8	Offset Array (0A)
J	•	_	•	9	
7	\rightarrow	2	•	9	

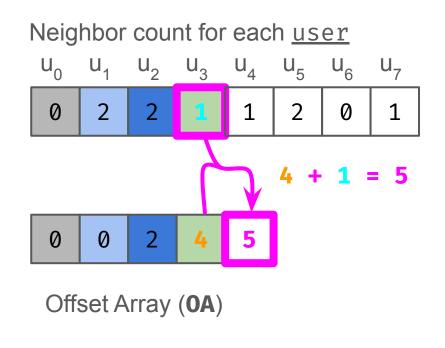
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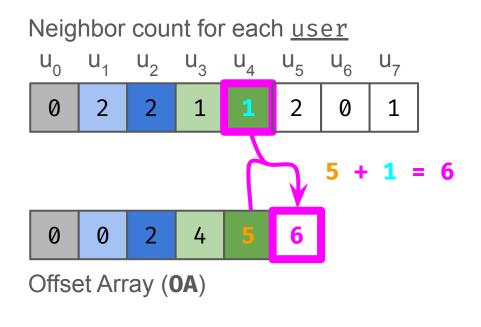
user	\rightarrow	movie	•	weight
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5
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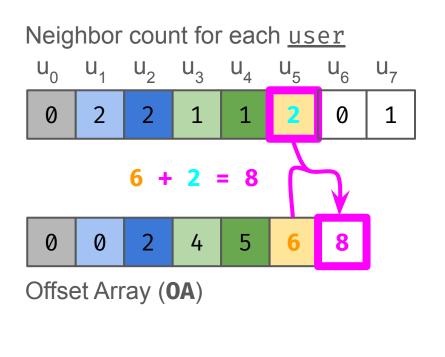
user	\rightarrow	movie	•	weight
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	:	7 3
3	\rightarrow	3	:	3
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5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8
7	\rightarrow	2	:	9



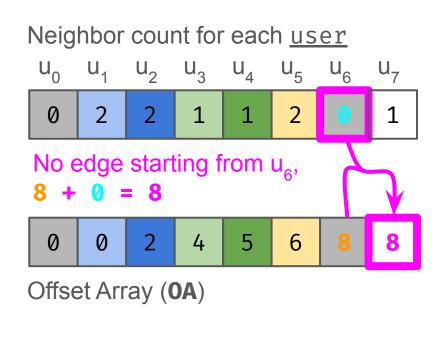
user	\rightarrow	movie	•	weight
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	:	7 3
3	\rightarrow	3	:	3
4	\rightarrow	0	:	1
5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8
7	\rightarrow	2	:	9



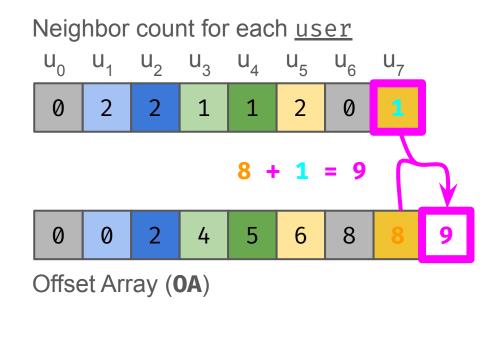
user	\rightarrow	movie	•	weight
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	: :	7 3
3	\rightarrow	3	:	3
4	\rightarrow	0	:	1
5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8
7	\rightarrow	2	:	9



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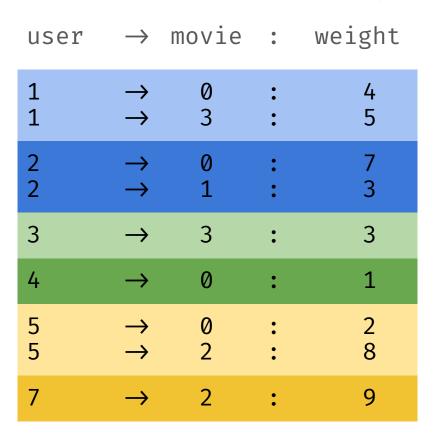


user	\rightarrow	movie	•	weight
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5
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3	\rightarrow	3	:	3
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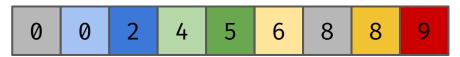


user	\rightarrow	movie	•	weight	
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5	
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	:	7 3	
3	\rightarrow	3	:	3	
4	\rightarrow	0	:	1	
5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8	
7	\rightarrow	2	:	9	





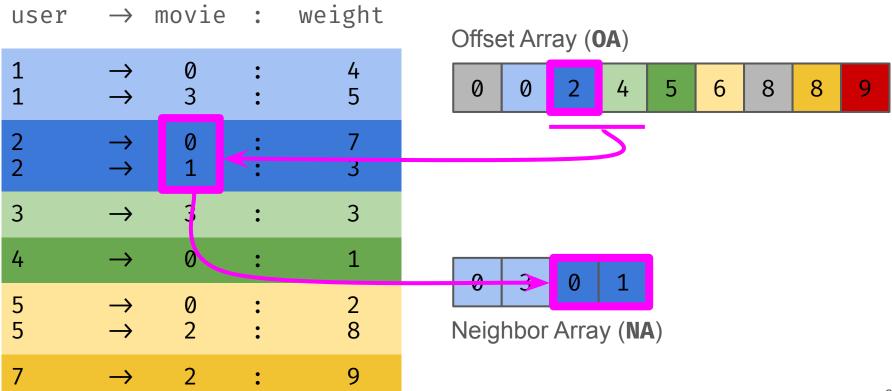
Offset Array (**0A**)

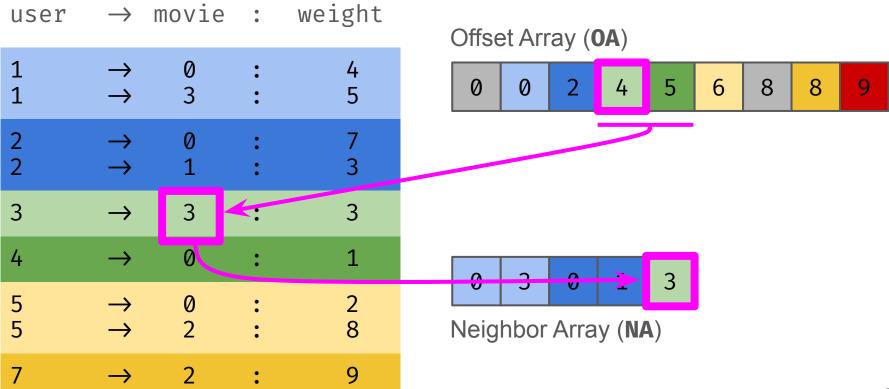


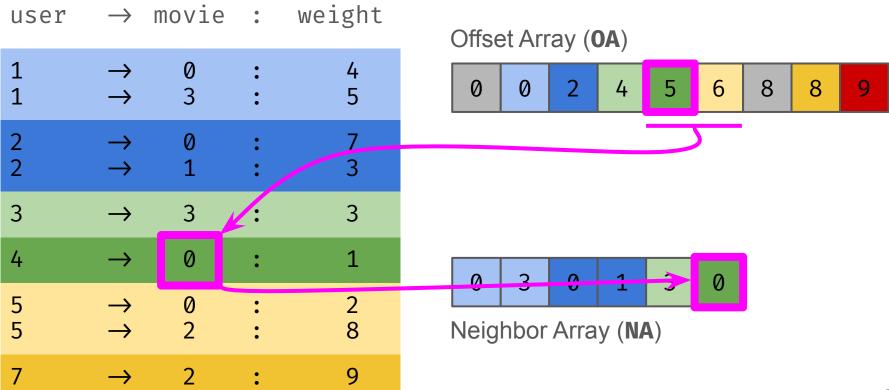
For each non-zero-length interval in the **OA**, append its edges' destinations (**movies**) to the **NA** *in-order*.

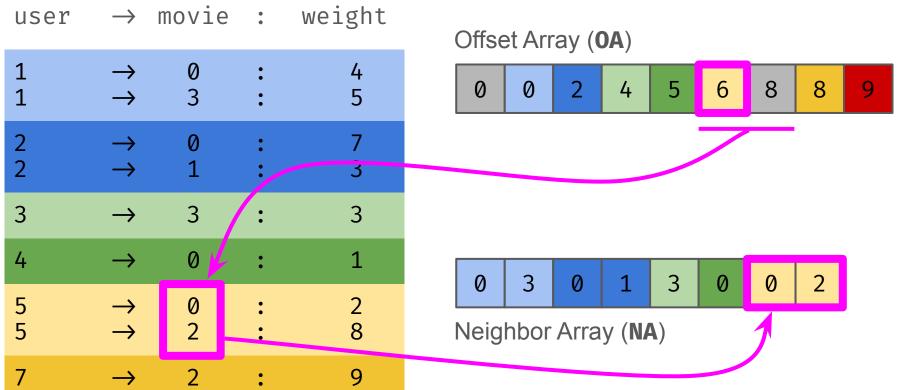
Neighbor Array (NA)

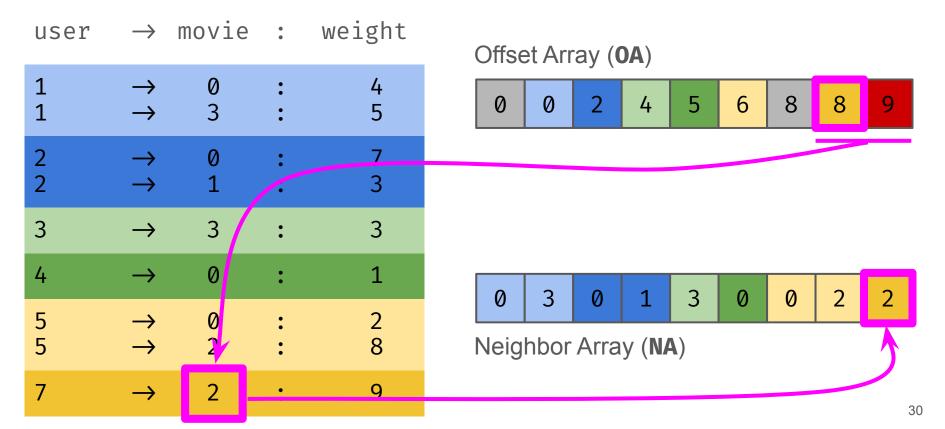










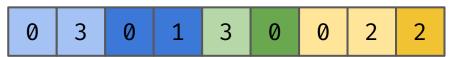


user	\rightarrow	movie	•	weight	
1	$\overset{\rightarrow}{\rightarrow}$	0 3	:	4 5	
2 2	$\overset{\rightarrow}{\rightarrow}$	0 1	:	7 3	
3	\rightarrow	3	:	3	
4	\rightarrow	0	:	1	
5 5	$\overset{\rightarrow}{\rightarrow}$	0 2	:	2 8	
7	\rightarrow	2	:	9	

Offset Array (**0A**)

0	0	2	4	5	6	8	8	9
---	---	---	---	---	---	---	---	---

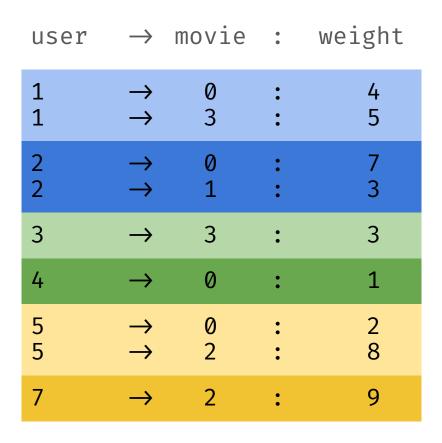
Neighbor Array (NA)



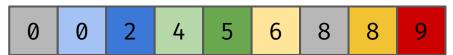
EL to **CSR**: 4/4 Build the property array (if needed)



EL to **CSR**: done!



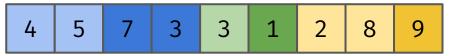
Offset Array (**OA**) (indptr)



Neighbor Array (NA) (indices)



Property Array (PA) (data)



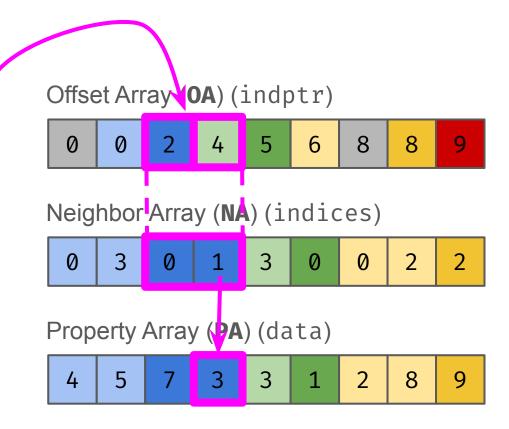
How to use the CSR?

Say, we are interested in user $\mathbf{u_2}$'s rating for movie $\mathbf{m_1}$.

First, we find the offset for user **u**₂ by indexing **OA[2] and OA[2+1]**.

Next, we iterate through **NA** with range **OA[2]...OA[2+1]-1** (inclusive) and check for a match with movie \mathbf{m}_{1} 's index, $\mathbf{1}$.

If match (e.g. at **NA[i]**), we then index **PA[i]** to find user **u**₂'s rating.



EL (COO), CSC, and CSR

You should now be able to convert **EL** to **CSR**. Similarly, you should be able to convert **EL** to **CSC**.

By traversing the **CSC/CSR** (as seen on last slide), you should be able to convert **CSC** and **CSR** to **EL** as well.

This is what you'll be implementing in the next lab! (Without the property array.)

More to follow in upcoming weeks' recitations.

Lab 3

Lab 3 – in case you missed it

There's a little pintool that we distribute called **vm_trace**.

This pintool will be very useful for you to test and profile your VM implementation on real-world workloads.

It is not required that you use this pintool, however we highly recommend you use it. (You'll need to somehow generate sufficiently complex traces for testing anyways. Why not go with the easier route?)

vm_trace is **NOT** included in the regular lab3 tar ball.

It is available separately at:

/afs/ece.cmu.edu/class/ece344/assign/vm_trace.tar.gz