## Algebraic Division Algorithm

- Algorithm

AlgebraicDivision( A, D) \{ /* divide D into A */

## Example:

Cube xyzw contains product term "yz"
for ( each cube d in divisor $D$ ) \{ let $C=\{$ cubes in A that contain this product term "d" \}; if ( $C$ is empty ) \{
return ( quotient = 0, remainder = A);
\}
let $C=$ cross out literals of cube "d" in each cube of $C$; $\cdot \cdots$. if ( $d$ is the first cube we have looked at in divisor $D$ )

```
            let Q = C;
    else Q = Q \capC; bugfix
}
R = A - ( Q * B );
return ( quotient = Q, remainder = R)
```

\}

## Example:

 Suppose C = xyz + yzw +pqyz and $d=$ "xy". Then crossing out all the "xy" parts yields $z+y+p q$